

# Signal Processing Solutions for a Networked Battlespace

## L\_WP2.1: Ground vehicle tracking aided by geologic information

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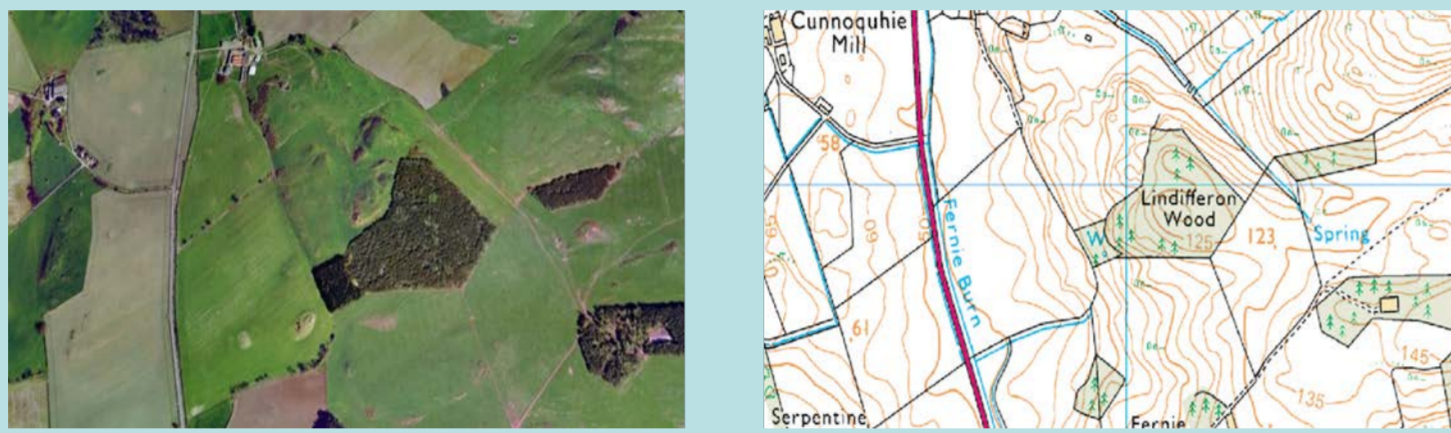
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### Objectives of the work package:

- A framework to explore all the previously collected information and data available for moving platforms in a networked environment when performing signal processing will be developed
- New signal processing algorithms offering adaptivity to operational environments will be developed by exploiting domain knowledge.
- Extension will be made to multiple sensor platforms operating in a networked environment by fusing different types of information.

### Geologic layer information:

For a real scenario, there is much information available, such as road, woods, buildings and height information, which constrains the movement of a vehicle:

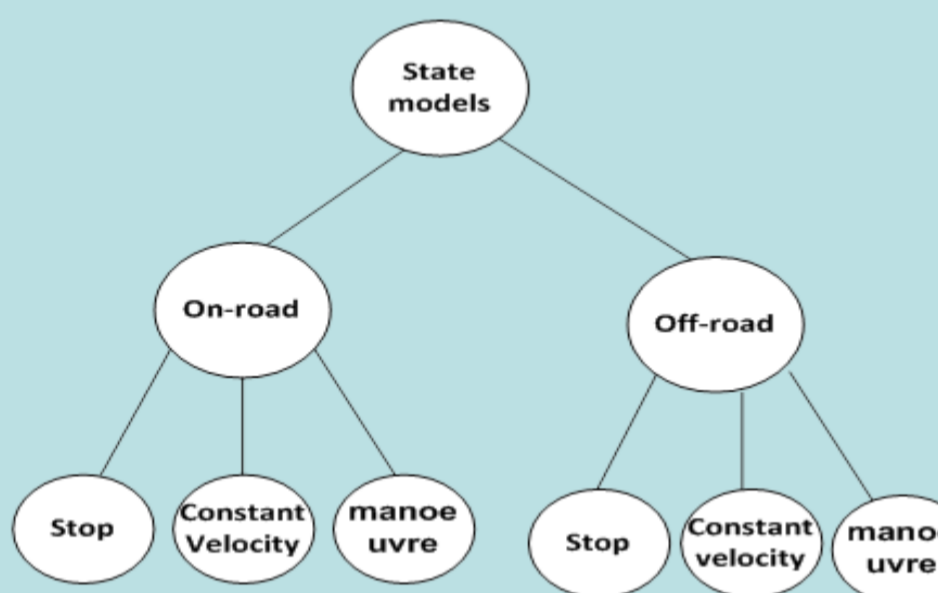


- The movement of the vehicle is constrained by the road when it moves on-road
- The movement of the vehicle is constrained by the infeasible region when it moves off-road

Geologic information can be obtained from the on-line available datasets, from the Geographic Information System (GIS), different geologic layers can be extracted:



### Multiple state models for vehicle tracking:



Multiple state models are needed for the vehicle tracking problem:

- In order to better use the geologic information, separate state models for on-road movement and off-road movement are applied
- The vehicle moves in different ways: stop, constant velocity and manoeuvre
- The state vector is represented as  $(X_t, \{r_t, l_t\}, m_t)$

Off-road model:  $X_t$  is denoted as  $X_t^{offroad}$  and  $X_t^{offroad} = F_{offroad}X_{t-1}^{offroad} + G_{offroad}W_{offroad}$

On-road model:  $X_t$  is denoted as  $X_t^{onroad}$  and  $X_t^{onroad} = F_{onroad}X_{t-1}^{onroad} + G_{onroad}W_{onroad}$

### Transition probabilities between on-road and off-road models:

$$p(r_t = onroad | r_{t-1} = offroad, X_{t-1}^{offroad}) = \begin{cases} 0 & \text{if } angle > th1 \text{ or } \left(\frac{d}{v}\right) > th2 \\ \exp\left(-c1 * angle + (-c2) * \left(\frac{d}{v}\right)\right) & \text{else} \end{cases}$$

$$p(r_t = offroad | r_{t-1} = onroad, X_{t-1}^{onroad}) = \begin{cases} 0 & \text{if } angle' > th1 \text{ or } \left(\frac{d'}{v'}\right) > th2 \\ \exp\left(-c1 * angle' + (-c2) * \left(\frac{d'}{v'}\right)\right) & \text{else} \end{cases}$$

### Transition probabilities between different movement types:

If (velocity < thre):  $p(m_t = stop | m_{t-1}) = p(m_t = CV | m_{t-1}) = p(m_t = manoeuvre | m_{t-1}) = \frac{1}{3}$

Else:  $p(m_t = stop | m_{t-1}) = 0$   $p(m_t = CV | m_{t-1}) = p(m_t = manoeuvre | m_{t-1}) = 1/2$

### Finite-set measurement for airborne GMTI:

A GMTI radar can measure the relative range  $r$  and azimuth angle  $\theta$  as:

$$\begin{pmatrix} r \\ \theta \end{pmatrix} = \begin{pmatrix} \sqrt{(x_{UAV} - x_{vehicle})^2 + (y_{UAV} - y_{vehicle})^2 + (z_{UAV} - z_{vehicle})^2} \\ \text{atan}((y_{UAV} - y_{vehicle}) / (x_{UAV} - x_{vehicle})) \end{pmatrix} + \begin{pmatrix} n_r \\ n_\theta \end{pmatrix}$$



Two problems exist with the GMTI radar:

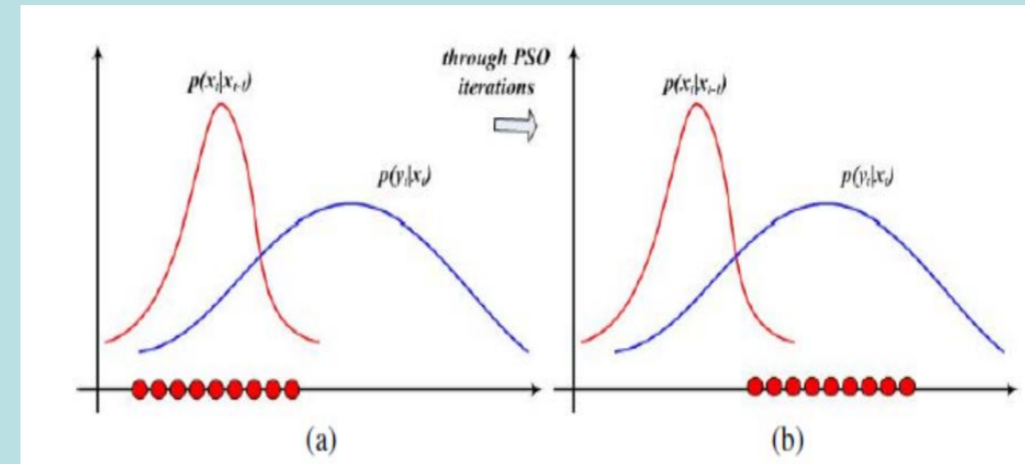
- Miss detection
- False alarms

Finite-set measurement theory is introduced to incorporate the miss detection and false alarms into the measurement model:

$$f(Z|X_t) \propto 1 - P_D(X_t) + P_D(X_t) \sum_{z \in Z} \frac{f(z|X_t)}{\gamma \cdot c(z)}$$

### Tracking algorithm:

Particle filtering algorithm is applied, with particle swarm optimization (PSO) being introduced to make the samples converge to the high measurement likelihood region.



For  $n=1, \dots, T$

$$v_t^{i,n+1} = |r_1|(p^i - X_t^{i,n}) + |r_2|(g - X_t^{i,n}) + \rho$$

$$X_t^{i,n+1} = X_t^{i,n} + v_t^{i,n+1}$$

with

$$p^i = \begin{cases} X_t^{i,n+1} & \text{if } f(Z|X_t^{i,n+1}) > f(Z|p^i) \\ p^i & \text{else} \end{cases} \text{ and } g = \text{argmax}_p f(Z|p^i)$$

### Experimental evaluation:

A vehicle is simulated to move on the ground with different movement types, and a UAV is simulated to cruise at an altitude of 200m to monitor this area, the circle radius is 100m and the angular speed of the UAV is  $(\pi/20)$ .



### Comparison with/without geologic information:

	No. of successful tracks	Mean of the RMSEs	Standard deviation of RMSEs
Tracking without domain knowledge	20/30	24.57	17.06
Tracking with the domain knowledge	30/30	9.35	2.62

### Advantages of applying multiple models:

	No. of successful tracks	Mean of the RMSEs	Standard deviation
Tracking without stop model	16/30	19.88	7.08
Tracking with stop model	30/30	9.35	2.62

### Comparison between different algorithms

Comparisons are made between the multiple models particle filter (MM-PF), its improved version (multiple models auxiliary particle filter, MM-APF) and our proposed algorithm (MM-PSO-PF):

	No. of successful tracks	Mean of the RMSEs	Standard deviation of the RMSEs
MM-PF	20/30	14.99	5.17
MM-APF	26/30	16.02	3.99
MM-PSO-PF	30/30	9.35	2.62

### Conclusions and future works:

In this work:

- The available geologic information is applied as the domain knowledge
- The vehicle can move both on-road/off-road and move in different movement types, multiple state models are considered.
- We consider a more realistic measurement model of the GMTI radar by considering both miss detection and false alarms.
- We proposed a MM-PSO-PF scheme, which adopts a new sampling scheme by making the samples converge to the high measurement likelihood region and better results are obtained

In next steps, we will:

- Consider the tracking scenario in an urban environment, a Bernoulli filter will be applied and PSO scheme will be applied to improve the performance of traditional Bernoulli filter.
- Tracking of the vehicle will be combined with the path optimization to make the UAV follow the vehicle in an urban environment, and corresponding simulations will be made from a real city scenario or battlefield environment.

